

Automatic detection and segmentation of brain tumor based on an adaptive mean shift over Riemannian manifolds

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Abstract: In this paper, we propose a fully automated approach based on the mean shift algorithm over Riemannian manifolds, for the brain tumor detection and segmentation in magnetic resonance images (MRI). This approach based on the geometric median, geodesic distance. We propose the median shift to overcome the limitation of mean which is not necessary a point in a set. The geodesic distance can describe data points distributed on a manifold, compared to the Euclidean distance, and produce efficient results for image segmentation. Coupled with k-means algorithm, the proposed framework can cluster the brain image into tree regions (gray matter, white matter and cerebrospinal fluid). We applied this approach to clustering the brain tissue and brain tumor segmentation, and validated on a synthetic MRI.

Keywords: Mean shift, Geometric median, Riemannian manifolds, brain image segmentation, and Geodesic distance.

1. Introduction

Brain Magnetic resonance (MR) imaging has a broad application in diagnosis and detection process of different brain related diseases. MR images are usually used to study and diagnose of brain related diseases such as Alzheimer, multiple sclerosis, and so forth. Accurate detection and segmentation of disease regions has a vital role to assist physicians in the diagnosis. Which allows to avoid several constraints such as time of diagnosis and inaccuracy results, to save the life of patients require urgent intervention.

In order to detecting and segmenting tissue abnormalities accurately, non-brain tissues must be removed in advanced. This task is known as brain extraction or skull stripping, which is a preliminary stage in brain MR image analysis. Brain Extraction methods usually consider to remove skull, scalp, and dura as non-brain regions [7].

The mean shift algorithm is a non-parametric algorithm which has been applied to many computer vision problems, such as data clustering, feature analysis and image segmentation. However, many works have been developed this approach in this area to have a sufficient results. However, this approach has some limitations [13], ineffective in clustering data and poor results of clustering and image segmentation [2, 13],

because the use of the Euclidean distance. We propose to replace the Euclidean distance by geodesic distance, by considering the data set as residing in a Riemannian manifolds.

In medical image analysis fields, it is crucial to conduct exact segmentation to extract high-level information from images. Therefore, separating interesting image components from their background effectively is a considerable problem. The classic segmentation methods have limitations in application to medical images.

In this paper, we propose to apply an adaptive method that employs mean shift algorithm over Riemannian manifolds. We propose a better adaptation of the mean shift algorithm to detect and segment, accurately, the region of interest in magnetic resonance images of brain. This improved adaptation is a combination of mean shift with K-means to detect and cluster the brain tumor regions; the obtained results improve the homogeneity of the both methods.

2. Related works

Mean shift clustering has been applied to generate the segmentation of color images. The challenge facing the mean shift algorithm (MSA) is the adaptive specification of the bandwidths according to the data

statistics in the image. Furthermore, the MSA is a well-known nonparametric and unsupervised clustering algorithm, which is, not assume a fixed number of clusters [13].

There have been proposed many methods, range from simple ones to more sophisticated and advanced ones, for brain tissue detection, segmentation and brain extraction during past years. Among them, there are classification-based methods such as kmeans [8], mean shift algorithm [11], adaptive mean shift based C means clustering algorithm [12] and many other methods based on pixel classification [5, 4, 1].

Accurate analysis of magnetic resonance (MR) images remains a challenge due to the complexity of structures such as intensity inhomogeneity. In brain MRI data analysis, precise detection and segmentation of normal and abnormal tissues plays a pivotal role for brain diagnostic.

There are many methods proposed for brain tumor detection and brain MRI segmentation in the past decades [6].

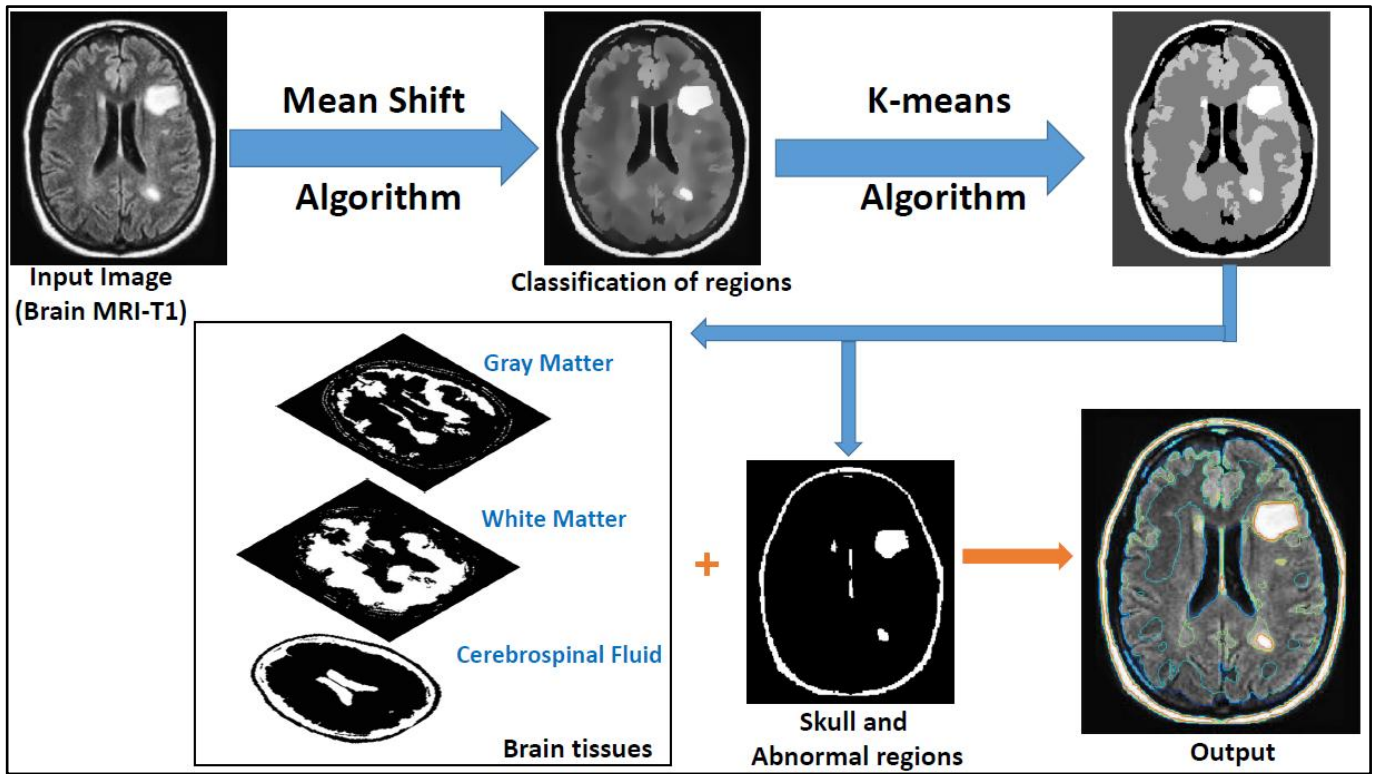


Figure 1. Overall flow of the proposed Method.

3. Preliminaries and Theory

In this section, we briefly introduce the basic theory of our method. In Section 3.1, we remained the basic mean shift and mean shift over Riemannian manifold. Then we present our contribution to detect and to segment brain tumour based on median shift algorithm in section 3.2.

3.1 Mean shift and median shift clustering

Mean shift procedure based on kernel density estimation, which is the most popular density estimation method [2]. Given a set of n points (x_i ; $i = 1; \dots; n \in \mathbb{R}^d$) distributed on Euclidian space associated with a distance. The Parzen window Kernel density estimator can be estimated at point x [14]:

$$\hat{f}_k(x) = \frac{1}{n} \sum_{i=1}^n \frac{1}{h_i^d} k\left(\left\|\frac{x - x_i}{h_i}\right\|^2\right) \quad (1)$$

where function k is the profile of the spherically symmetric kernel K with bounded support, that satisfies, by taking the gradient of $\hat{f}_k(x)$ we obtain:

$$\nabla \hat{f}_k(x) = \frac{2}{n} \left[\sum_{i=1}^n \frac{1}{h_i^{d+2}} g\left(\left\|\frac{x - x_i}{h_i}\right\|^2\right) \right] \times \left[\frac{\sum_{i=1}^n \frac{x_i}{h_i^{d+2}} g\left(\left\|\frac{x - x_i}{h_i}\right\|^2\right)}{\sum_{i=1}^n \frac{x_i}{h_i^{d+2}} g\left(\left\|\frac{x - x_i}{h_i}\right\|^2\right)} - x \right] \quad (2)$$

where $g(x)=-k'(x)$ provided that the derivative of k exists. The second part of (1.2), factor in bracket, is the mean shift vector, which always points towards the direction of the greatest increase in density. The sequence of estimation points $\{y_t\}_{t=1,2,\dots,k}$ computed based on mean shift vector:

$$y_{t+1} = \frac{\sum_{i=1}^n \frac{x_i}{h_i^{d+2}} g\left(\left\|\frac{x-x_i}{h_i}\right\|^2\right)}{\sum_{i=1}^n \frac{x_i}{h_i^{d+2}} g\left(\left\|\frac{x-x_i}{h_i}\right\|^2\right)} \quad (3)$$

where y_1 is chosen as one of the points x_i , then y_t converges to is considered as the mode of y_1 to group the points with the same mode in the same cluster.

For data Clustering and image segmentation this algorithm produce, sometimes, poor results in clustering data with high dimensional manifolds in Euclidean space because the Euclidean distance [13], and a mean may not be a point in a data set. To remedy these limitations in data Clustering Wang et al in [13] propose the use of median, which is a point in data set, and geodesic distance to replace Euclidean distance in manifolds.

We extend the Riemannian manifolds and median shift approach to perform the automatic detection and segmentation of brain tumor in MR images.

3.2 Geometric median over Riemannian manifolds

The geodesic distance for a pair of points (x, y) distributed on a Riemannian manifold denoted $d_g(x, y)$, is the minimum length of curves connecting them. Given a set of n points $(x_1, x_2, \dots, x_n \in R^n)$ distributed on a manifold associated with a Riemannian distance $d_g(x, y)$, the geometric median, of a data set, defined as $\hat{y}$ by the following equation [13]:

$$\hat{y} = \arg \min_{y \in R^n} \sum_{i=1}^n d_g^2(x_i, y) \quad (4)$$

Based on (1), a novel objective function for geometric median shift over Riemannian manifolds is introduced. However, the geometric median of a number of points on manifolds is indeed a true point in a data set. Based on the kernel density estimate with profile k , bandwidth h , and geodesic distance $d_g(x, y)$ [13] define a novel kernel density-estimate function for the geometric median shift on Riemannian manifolds as:

$$\hat{f}_k(y) = \frac{C_{k,h}}{n} \sum_{i=1}^n k\left(\frac{d_g^2(x_i, y)}{h^2}\right) \varphi(y) \quad (5)$$

where h is a bandwidth, and $C_{k,h}$ ensures $\hat{f}_k(y)$ to be density and $k(\cdot)$ is a flat kernel function satisfying:

$$k(x) = \begin{cases} 1 & \text{if } 0 < x < 1 \\ 0 & \text{otherwise} \end{cases}$$

$\varphi(y)$ is another kernel function related to the sum of squared Riemannian geodesic distances from point y to other points distributed on the manifold calculated by

$$\varphi(y) = \sum_{i=1}^n \exp(-d_g^2(x_i, y))$$

Finally, the kernel function for geometric median shift over a Riemannian manifold is:

$$\hat{f}_k(y) = \frac{C_{k,h}}{n} \sum_{i=1}^n k\left(\frac{d_g^2(x_i, y)}{h^2}\right) \exp(-d_g^2(x_i, y)) \quad (6)$$

The gradient of this equation (6) is:

$$\nabla \hat{f}_k(y) = \frac{2}{n} \sum_{i=1}^n \left(g\left(\frac{d_g^2(x_i, y)}{h^2}\right) \frac{\log_y(x_i)}{h^2} \exp(-d_g^2(x_i, y)) + \exp(-d_g^2(x_i, y)) \log_y(x_i) k\left(\frac{d_g^2(x_i, y)}{h^2}\right) \right) \quad (7)$$

where $g(x)=-k'(x)$ and $k'(x)$ is a derivative function. We denote:

$$M(y, x_i) = \left(\frac{g\left(\frac{d_g^2(x_i, y)}{h^2}\right)}{h^2} + k\left(\frac{d_g^2(x_i, y)}{h^2}\right) \right) \exp(-d_g^2(x_i, y)) \quad (8)$$

According to Eqs. ((7), (8)), we derive the geometric median shift vector in tangent spaces and the shifting point on a Riemannian manifold, we obtain:

$$MG_h = \frac{\sum_{i=1}^n M(y, x_i) \log_y(x_i)}{\sum_{i=1}^n M(y, x_i)} \quad (9)$$

The Eq. (9) represent the geometric median over Riemannian manifolds, computed using the algorithm described in [13]. The simulation results of this method presented in the next section 4.

4. Experimental results

In this section, we present the performance of our approach quantitatively and qualitatively to brain extraction, and we compare the results with the most known approach and methods cited previously or used in state of the art.

Data sets

To evaluate the performance of our approach, we use the following data sets:

1. **BrainWeb:** contains the MRI volumes for normal brain. The parameter settings are fixed to 3 modalities (T1w, T2w, and PD), 5 slice thicknesses (1mm, 3mm, 5mm, 7mm, and 9mm), 6 levels of noise (0%, 1%, 3%, 5%, 7%, and 9%), and 3 levels of intensity non-uniformity (0%, 20%, and 40%). The discrete anatomical model applied to generate the simulated brain MRI data was used

as ground truth data. The discrete anatomical and the simulated brains were transformed to coronal and sagittal slices before starting the experiments.

2. **MRI Multiple sclerosis Database (MRI MS DB):** Thirty-eight patients (17 males, and 21 females), aged 34.1 ± 10.5 (mean age $\pm$ standard deviation), with a CIS of MS and MRI-detectable brain lesions were scanned twice at 1.5 T with an interval of 6-12 months. The transverse MR images used for the analysis were obtained using a T2-weighted turbo spin echo pulse sequence (repetition time = 4408 ms, echo time = 100ms, echo spacing = 10.8 ms). The reconstructed image had a slice thickness of 5 mm and a field of view of 230 mm with a pixel resolution of 2.226 pixels/mm. Standardized planning procedures were followed during each MRI examination [10], [9].

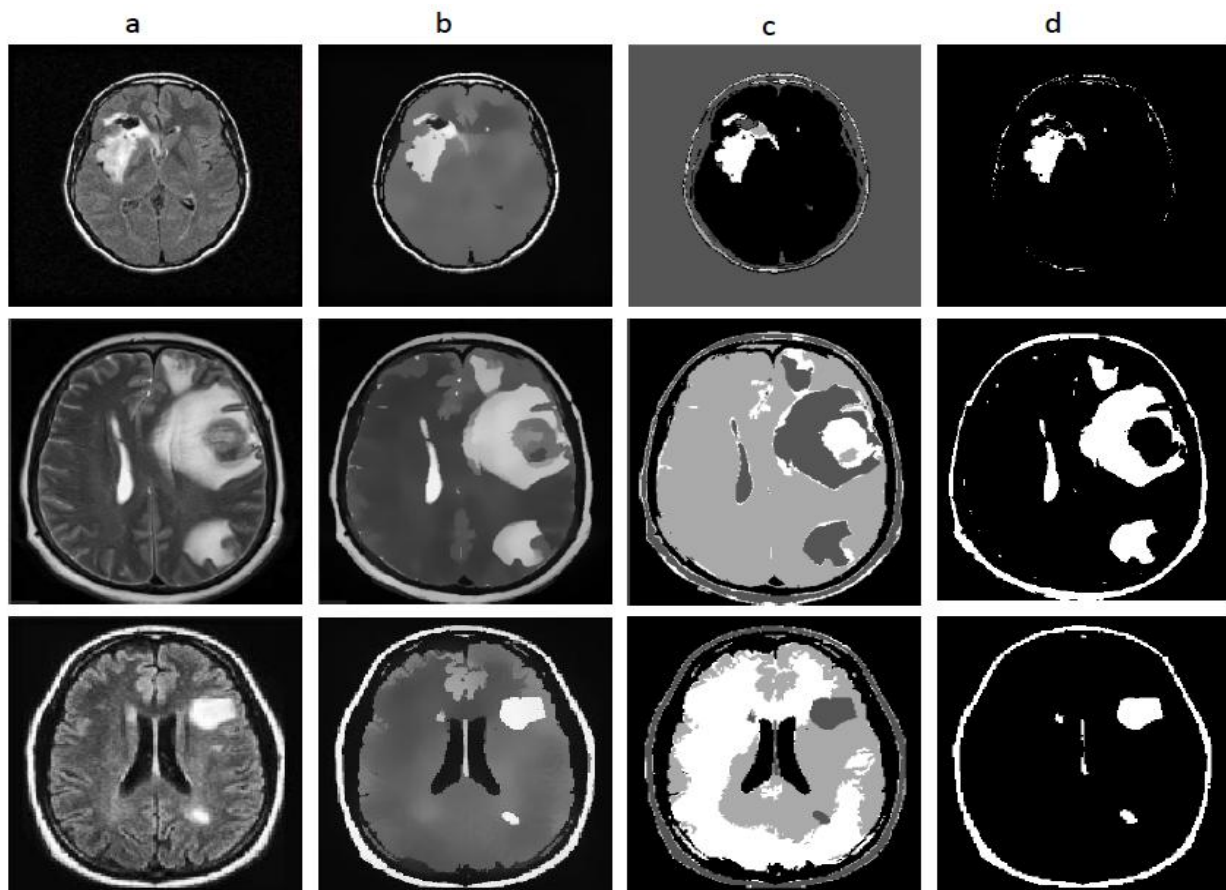


Figure 2. Segmentation steps of brain tumor of MR images. (a) Original image (b) filtered and smoothed image by geometric median, (c) regions labeled by cluster and (d) tumor regions.

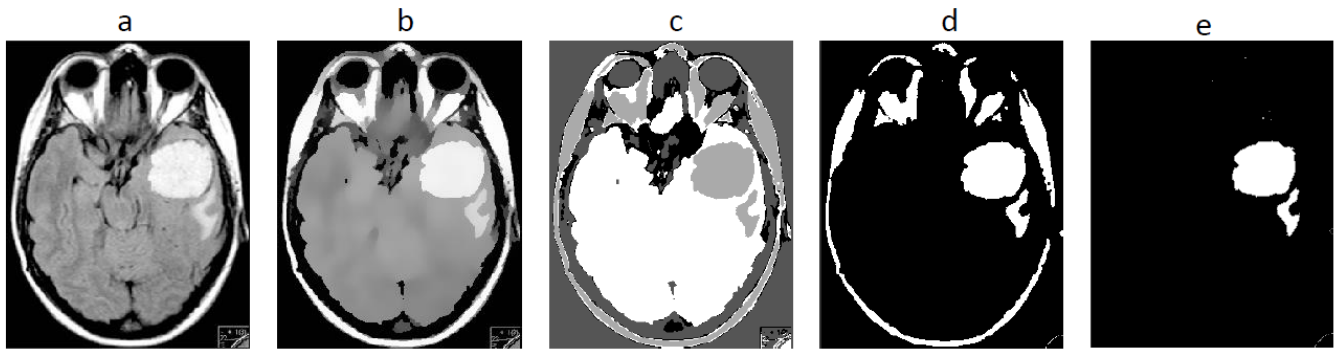


Figure 3. Segmentation results of coronal slice. (a) Original image, (b) filtered and smoothed image, (c) regions labeled by cluster, (d) skull and tumor regions and (e) extracted tumor region.

4.1. Qualitative evaluation

An example of detection and segmentation results of brain MRI tumor presented by fig.2 for different modalities of brain MR images, T1-weighted and T2-weighted. The brain images present different level of noise and spatial intensity inhomogeneity for the axial slice.

The approach shows its performance to label the regions by clusters, this allows an accurate segmentation of different regions using k-means algorithm. However, in (figure 2.b) the geometric median over Riemannian manifolds show good results of filtering and smoothing images. Then, we proceed to clustering different regions of smoothing image (figure 2.c), the last step (figure 2.d) is to separate the classified regions of brain tissues into gray matter (GM), white matter (WM), cerebrospinal fluid and abnormalities regions. We present in fig. 3, an example of coronal slice of T2-weighted brain image, to evaluate the segmentation accuracy of proposed framework. The proposed method shown the efficient results to clustering brain region and to segment accurately different tissues WM, GM and CSF in a complex slice.

4.2. Quantitative evaluation

To validate the obtained results we use the Dice Similarity Coefficient (DSC) [3]. This measure indicates the amount of area overlap between the automatically detected and the manually delineated brain image. This measure is calculated as follows:

$$DSC = \frac{2 \times TP}{2 \times TP + FP + FN} \quad (10)$$

Where TP (True Positive) are the correct detections, FP (False Positive) are incorrect detections, and FN (False Negative) are missing detections. The performance of our implementation is qualitatively shown in Fig.2.

Analyzing the results of the DSC, we obtained when using the T1-weighted brain MR images the better DSC (0:95%) than when using T2-weighted (0:92%). This is due to the complexity on T2-weighted image and high intensity inhomogeneity of tissues.

Comparing the DSC of different slices we obtained 0:98% for T1 axial slice, 0:94% for T2 axial slice.

5. Conclusion

We proposed an automatic detection and non-supervised segmentation of brain MRI tumor, the task in this method, is to automatically obtain an accurate segmentation of tissues and check the presence of abnormal regions in those images using Mean Shift to smooth the images followed by K-means algorithm to cluster the regions of interest. This method applied to many images proved that the use of this method gives better results and makes it easy to cluster images after smoothing.

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